



Multi-Ion Space Plasma Research: Two highlights



I. Plasma structures and boundaries in solar
wind interaction with non-magnetized bodies

II. Origin of coherent large-amplitude waves
in multi-ion space plasmas

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KatlenburgLindau, Germany

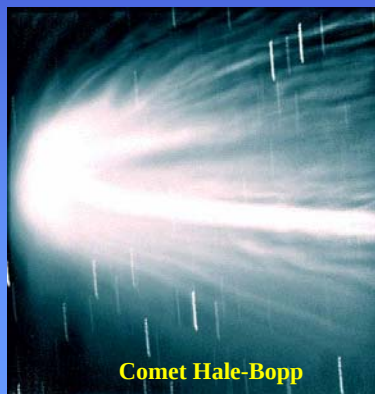
* in close cooperation with E. Dubinin (MPAe)
and partly with A. Lipatov and J. McKenzie



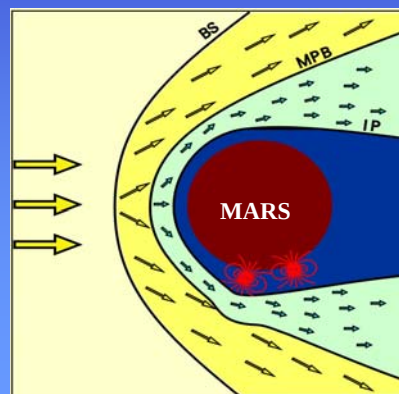
Multi-Ion Space Plasma Research:



I. Plasma structures and boundaries in solar
wind interaction with non-magnetized bodies



Comet Hale-Bopp





Multi-Ion Space Plasma Research:

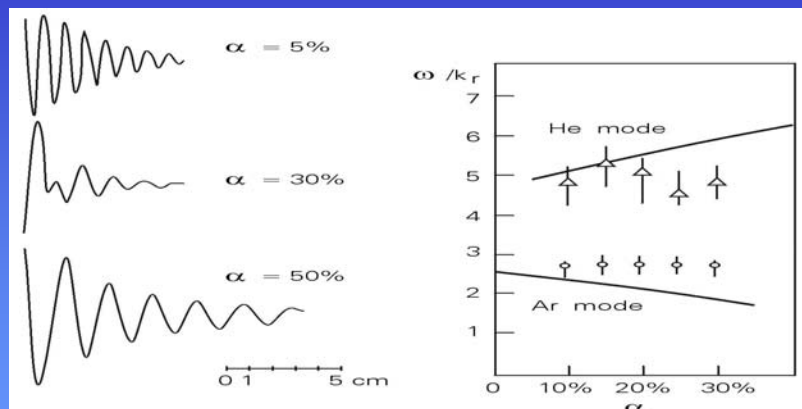
I. Plasma structures and boundaries in solar wind interaction with non-magnetized bodies

- **Introduction:**
 - History of Mars Plasma Research
- Two-fluid model of interaction
- Numerical results
- The MPB at Mars - a new type of plasma boundary
- Implications to ROSETTA, MARS-EXPRESS and CASSINI



Ion acoustic waves in an Ar-He plasma

Theory: Fried et al., 1971; Experiment: Tran and Coquerand, 1976

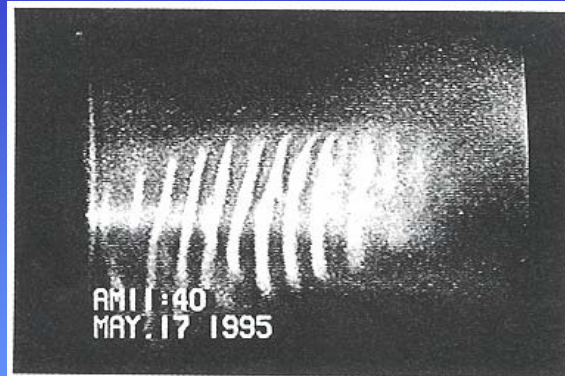


Left: experimental wave pattern for different concentration α . The interference pattern for $\alpha = 30\%$ is due to the super-position of the two wave modes.

Right: phase velocity of the two ion-acoustic modes versus the concentration α .



Dust-acoustic waves in a Q machine (Barkan et al., 1996)



Dust-acoustic waves (Rao, Shukla and Yu ;1990):

$$v_{ph} = \sqrt{\left(\frac{k(T_e + T_i)}{m_d} \frac{n_d}{n_p} Z^2 \right)}$$



Differential streaming between protons and α -particles in the solar wind

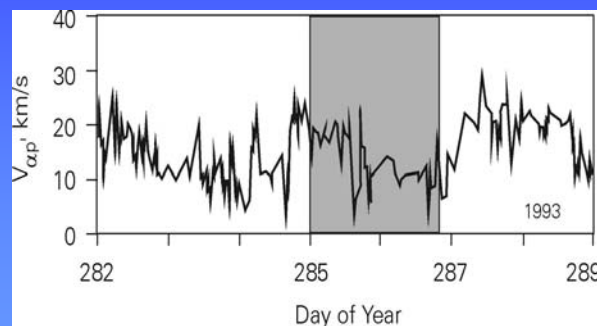


Helios: Marsch et al., 1982

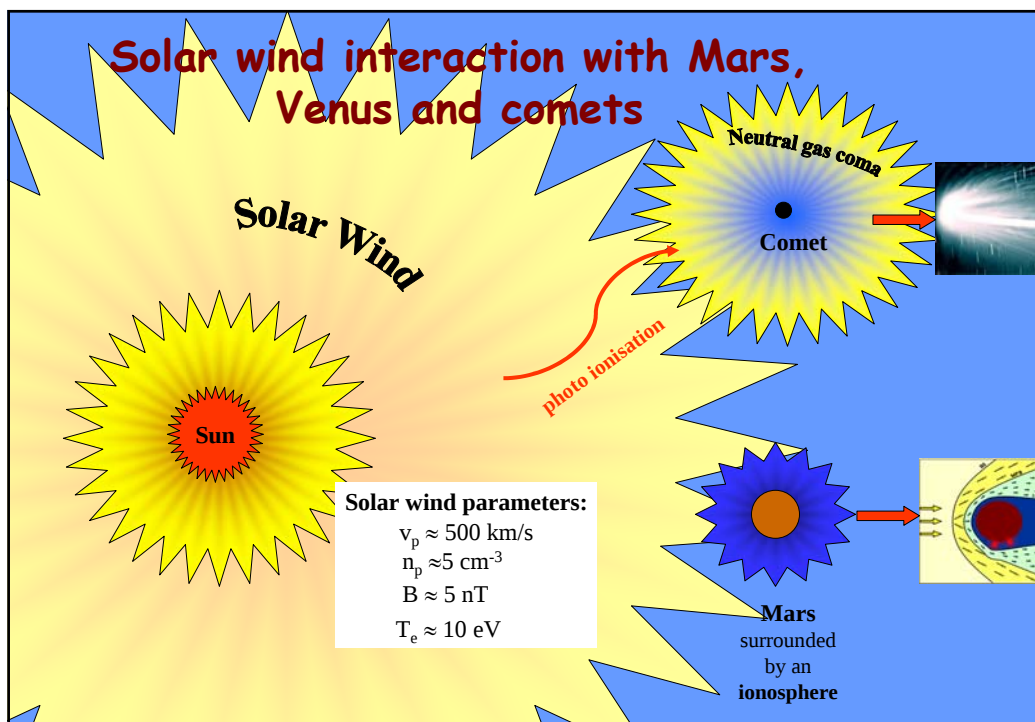
Ulysses: Neugebauer et al., 1994, 1996

Wind: Steinberg et al., 1996

$$V_{\alpha p} = |\mathbf{v}_p - \mathbf{v}_\alpha|$$

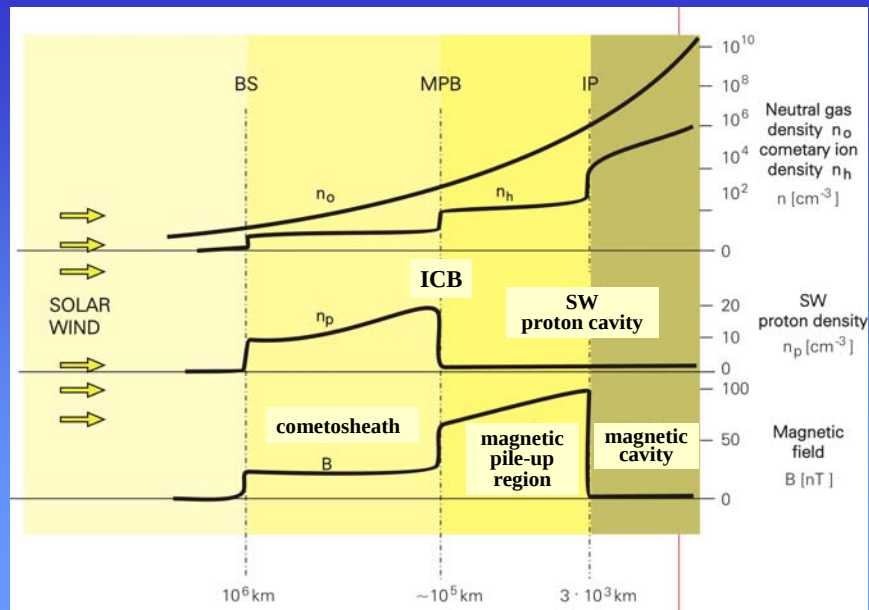


Temporal variation of $v_{\alpha p}$ for one week of Ulysses data (Neugebauer et al., 1996).

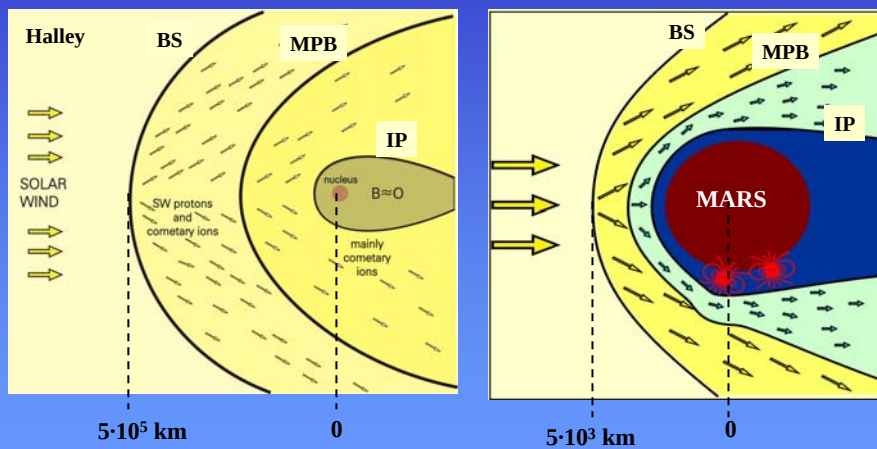




The cometary plasma boundaries



Plasma boundaries at comets and Mars





Scientific aspects of solar wind - Mars interaction



Study of **fundamental processes of plasma-plasma interaction** which are relevant for many other situations: comets, moons (Titan), asteroids, Pluto, dust rings, etc.

Mars dehydration:

loss of water by solar wind - atmosphere coupling;
1-10 m of surface water in 4.5 billion years.

Space weather: generation of high energetic particles, especially by CMEs (no shielding by an intrinsic magnetic field).



Solar wind scavenging of the martian atmosphere => dehydration



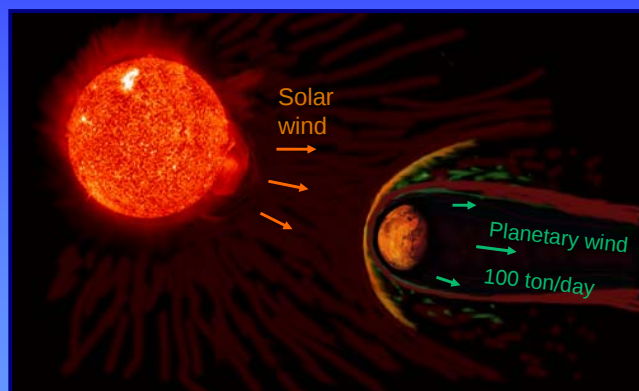
Mars Express: ASPERA-3 will do global imaging and *in-situ* measurements of:

Inflow — solar wind

Outflow — planetary wind

using

Energetic neutral atom cameras and plasma (ion+electron) spectrometers





Scientific aspects of solar wind - Mars interaction



Study of **fundamental processes of plasma-plasma interaction** which are relevant for many other situations: comets, moons (Titan), asteroids, Pluto, dust, etc.

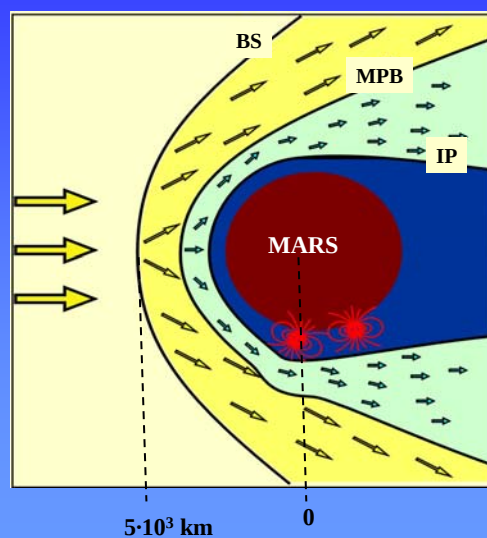
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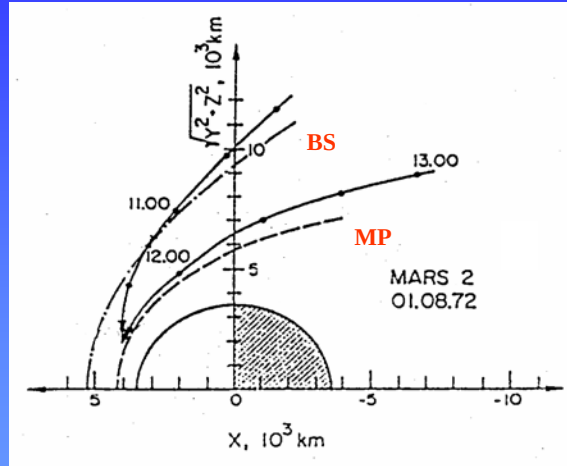
History of Mars Plasma Research



Our present
view



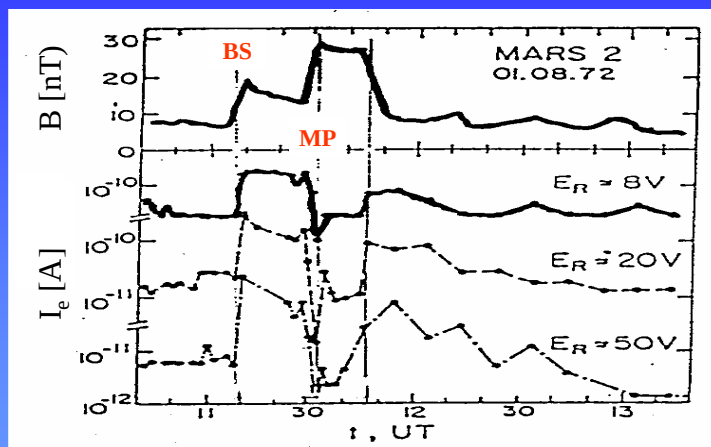
Mars-2 observations in 1972 (Dolginov and Gringauz, 1972)



The spacecraft crossed the bow shock (BS) and the obstacle boundary (magnetopause = MP)



Mars-2 observations in 1972 (Dolginov and Gringauz, 1972)



Variation of the magnetic field B and the electron current I_e at crossing the bow shock (BS) and the obstacle boundary (magnetopause = MP)



Obstacle boundary in classical MHD models



The solar wind dynamic pressure is balanced by

ionospheric thermal pressure:

$$\rho v^2 = n_e k T_e$$

(Ionopause)

For $T_e \approx 1$ eV, a density of $n_e \geq 10^4 \text{ cm}^{-3}$ is required. The ionosphere of Mars is not dense enough to reach such a density at about 500 km where the obstacle boundary is observed. Therefore, the observed boundary is **not an Ionopause**.

intrinsic magnetic pressure:

$$\rho v^2 = B^2/2\mu_0$$

(Magnetopause)

From the observed location of the obstacle boundary in a subsolar height of about 500 km a magnetic moment of Mars of about

$$M \geq 10^{12} \text{ T}\cdot\text{m}^3$$

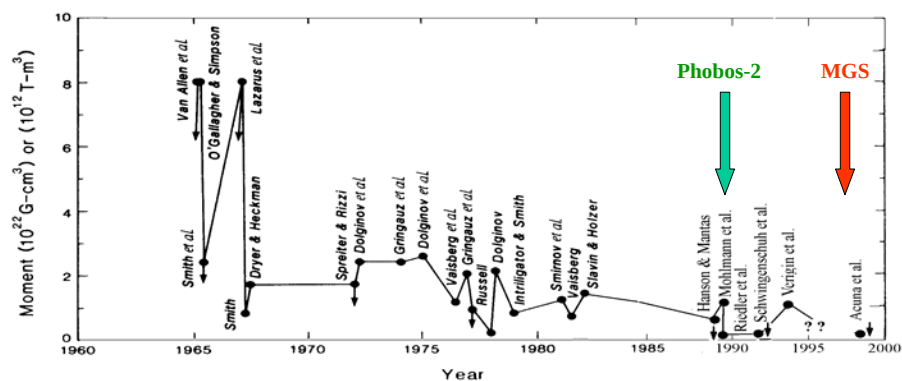
was estimated.



History of the Mars magnetic moment 1965 - 2000



From position and shape of the obstacle boundary (MP) a magnetic moment of $M \geq 10^{12} \text{ T}\cdot\text{m}^3$ was estimated.



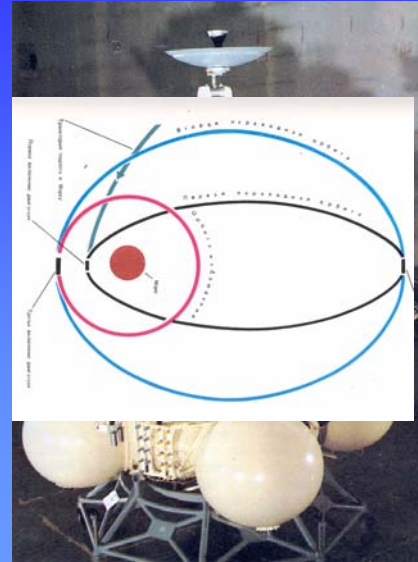


The Phobos-2 mission in 1989

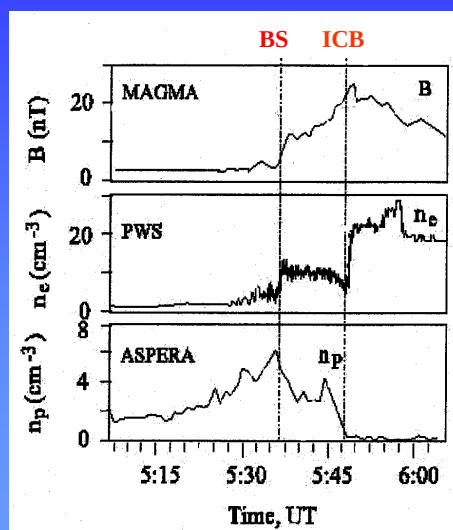


The spacecraft approached Mars down to about 850 km during 4 elliptical orbits, nearly one month in a circular orbit, approached the Phobos moon up to 200 km.

It was equipped with important instruments for plasma research: magnetometer (MAGMA, FGMM), electron and ion spectrometers (ASPERA, TAUS), sounders for low- and high- frequency plasma waves



Observation of the Ion Composition Boundary (ICB) by Phobos-2



Signatures of the ICB:

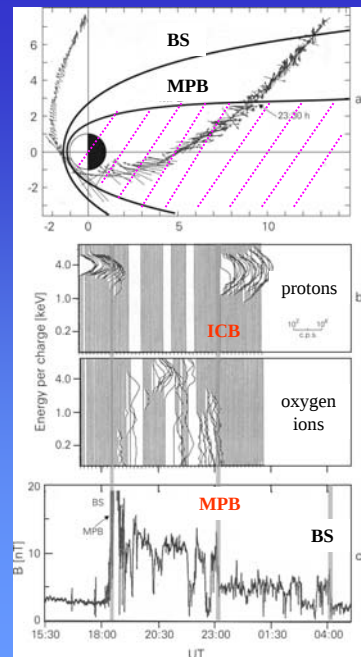
- SW proton density decreases
- electron density n_e sharply increases which -because of charge neutrality - means an abrupt increase of the planetary ion density: Protons are replaced by heavy ions.



Observation of the MPB/ICB in large distances by Phobos-2 (1989) ($\geq 20\,000$ km)

Jump of the magnetic field:
MPB

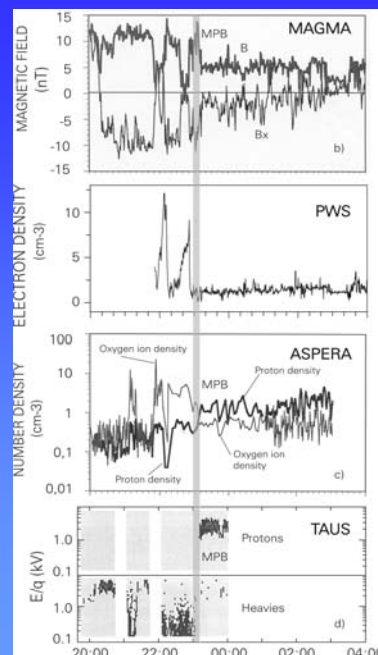
Change of ion composition:
- SW protons outside
- planetary ions (oxygen) inside



Observation of the MPB/ICB in large distances by Phobos-2 ($\geq 20\,000$ km)

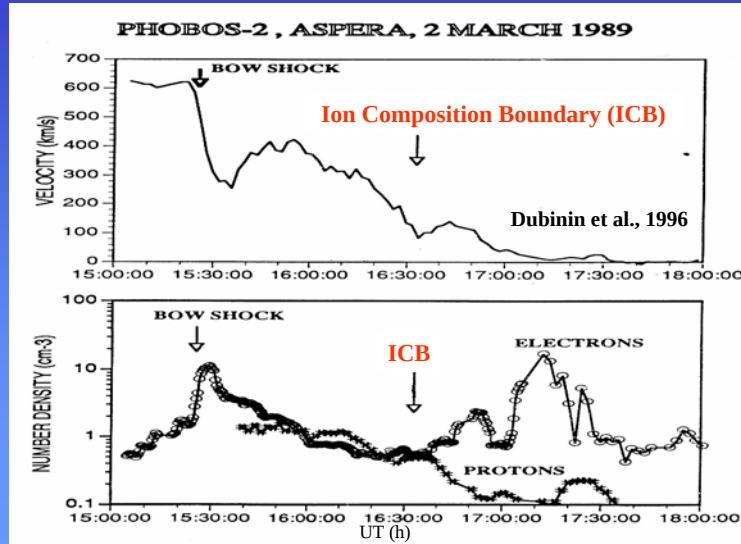
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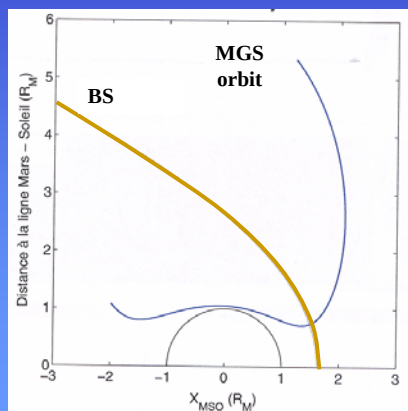




Phobos-2 observations of the Ion Composition Boundary



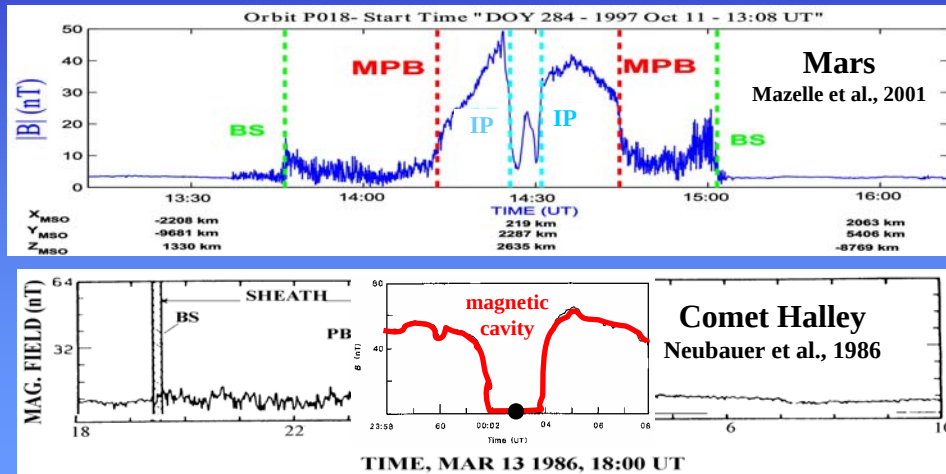
Mars Global Surveyor - its contribution to Mars plasma research



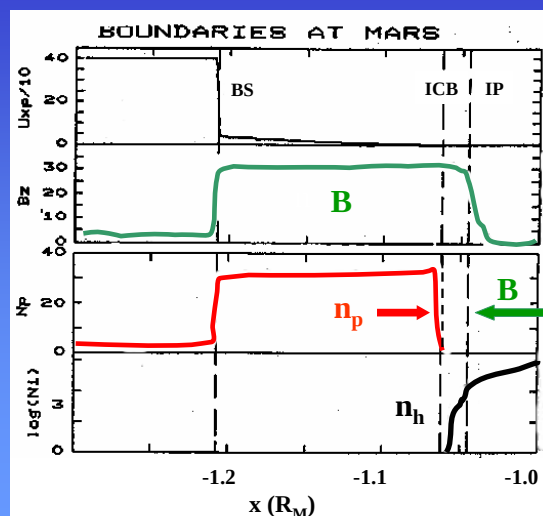
Most important:
MGS went down to Mars up to about **150 km**. The spacecraft carries a **magnetometer** and an **electron spectrometer**. It crossed the **ionopause** and from the measured magnetic field a moment of **$M \approx 10^{11} \text{ T} \cdot \text{m}^3$** was determined. **This value is more than one order of magnitude weaker than estimated before.**



The Magnetic Pile-up Boundary at Mars and comet Halley



First attempts to find the ICB in two-ion fluid simulations



1D two-ion
fluid
simulations
with
lateral effects



First attempts to find the ICB in two-ion fluid simulations

1990



Plasma boundaries at Mars discovered by the Phobos 2 magnetometers

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⁽²⁾ Institut für Weltraumforschung, Österreichische Akademie der Wissenschaften,
Inffeldgasse 12, Graz, A-8010, Austria

ABSTRACT.This boundary is interpreted as a multi-ion contact discontinuity where the protons are deflected by the Lorentz force arising from the relative motion between both ion fluids. The magnetic field penetrates the ICB.....

Annales Geophysicae, 1990, **8**, (10), 661-670.

Indication of three plasma boundaries from the Phobos-2 observations; 1D bi-ion fluid simulations with lateral effects



Further steps in two-ion fluid simulations

1994

First theoretical evidence of an Ion Composition Boundary (ICB) in 2D simulations of solar wind massloading.

(The protonopause - an ion composition boundary in the magnetosheath of comets, Venus and Mars; Sauer et al., *GRL*)

1999
(after
MGS)

Improved 2D two-ion fluid model (inclusion of thermal effects) showing the Magnetic Pile-up Boundary (MPB) at the same location as the ICB.

(The nature of the Martian obstacle boundary; Sauer and Dubinin, *Adv. Space Res.*)

2001-
2003

Joint Phobos - MGS ISSI workshops: Mars book (Kluwer) + *Space Science Review* will be published in spring of 2004.



Theoretical methods for describing multi-ion plasmas



Linear theory:

Dispersion of LF multi-ion waves (fluid and kinetic models)

Numerical simulations:

(1) 1D and 2D bi-ion fluid simulations

(2) 1D and 2D bi-ion hybrid code simulations

Stationary nonlinear waves:

Oscillitons - a new type of solitary structure, origin of coherent waves



The two-ion fluid Hall-MHD model



Protons (p) and **heavy ions** (h) are considered as separate fluids which are coupled by electromagnetic forces

Electrons are mass less

Charge neutrality: $n_e = n_p + n_h$

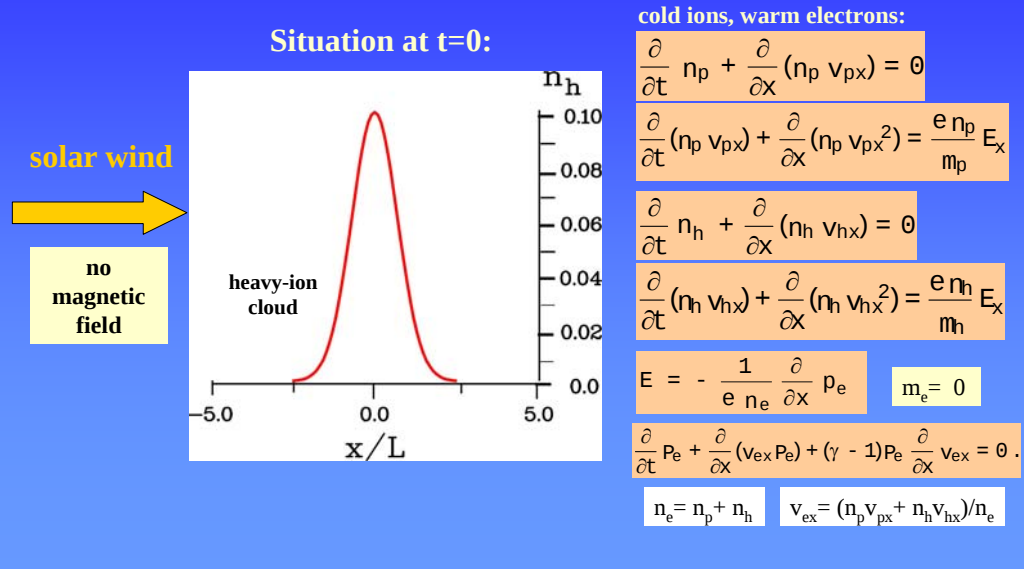
No collisions

The system of basic equations consists of

- 2 continuity equations
- 2 momentum equations
- Faraday's law
- Energy equation for electrons



Solar wind flow though an heavy-ion cloud, simple model of electrostatic interaction



Solar wind flow though an heavy-ion cloud, simple model of electrostatic interaction



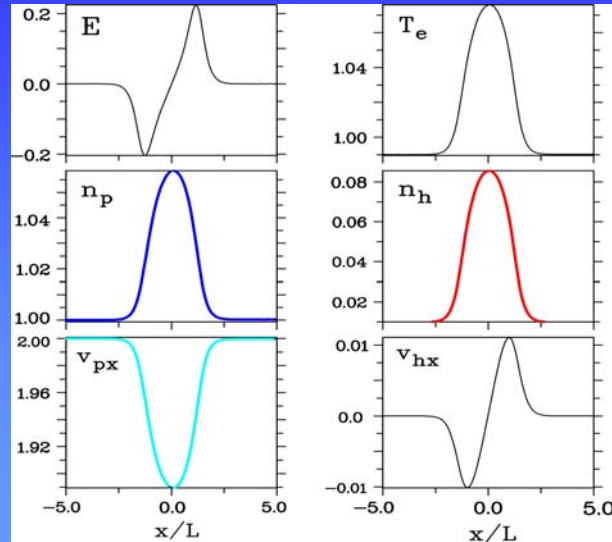
The interaction strongly
depends on the
Mach number
of the incoming plasma
flow



Solar wind flow though an heavy-ion cloud: simple model of electrostatic interaction



Supersonic
flow:
 $M_s = 2.0$

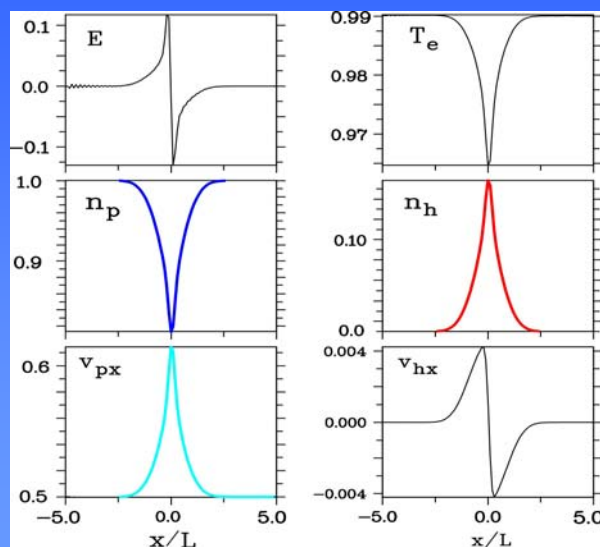


Solar wind flow though an heavy-ion cloud: simple model of electrostatic interaction



Subsonic
flow:
 $M_s = 0.5$

The flow is
accelerated
within the
cloud:
Laval nozzle
effect



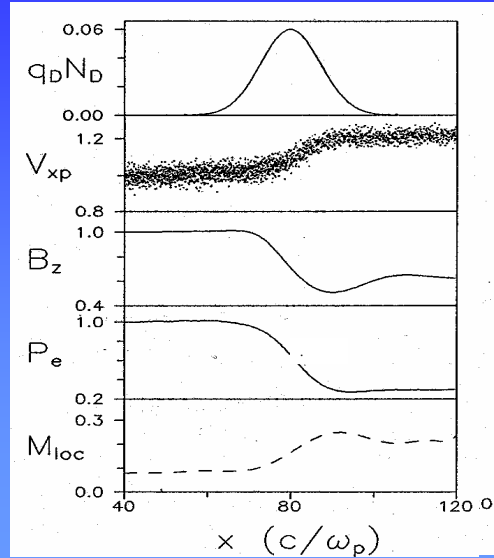


Solar wind flow through an heavy-ion cloud: hybrid code simulations



**Sub-
Alfvénic
flow:
 $M_A = 0.1$**

**The flow is
accelerated
within the
cloud**



**Motschmann,
Sauer and
Roatsch,
1992**



Fluid description in the mass-less electron approximation



$$\frac{\partial}{\partial t}(n_p \mathbf{v}_p) + \nabla \cdot (n_p \mathbf{v}_p \mathbf{v}_p + \frac{P_p}{m_p}) = \frac{e n_p}{m_p} (\mathbf{E} + \mathbf{v}_p \times \mathbf{B})$$

$$\mathbf{E} = - \frac{1}{e n_e} \nabla p_e - \mathbf{v}_e \times \mathbf{B}$$

approximation of
mass-less
electrons: $m_e = 0$

Ampere's law
is used to eliminate $\mathbf{v}_e$

$$\nabla \times \mathbf{B} = - \mu_0 \mathbf{j}$$

$$\mathbf{j} = -e n_e \mathbf{v}_e + n_p \mathbf{v}_p + n_h \mathbf{v}_h$$

Electron-proton plasma

$$\mathbf{v}_e = \mathbf{v}_p - \frac{1}{\mu_0 e n_e} \nabla \times \mathbf{B}$$

charge neutrality: $n_e = n_p$

Two-ion plasma

$$\mathbf{v}_e = \frac{n_p \mathbf{v}_p + n_h \mathbf{v}_h}{n_e} - \frac{1}{\mu_0 e n_e} \nabla \times \mathbf{B}$$

charge neutrality: $n_e = n_p + n_h$



Equation of motion in single- and two-ion fluid description

Single-ion
(proton)
plasma

$$\frac{\partial}{\partial t} (n_p m_p \mathbf{v}_p) + \nabla \cdot (n_p m_p \mathbf{v}_p \mathbf{v}_p + P_p) = \left[- \nabla \left(P_e + \frac{B^2}{2 \mu_0} \right) \mathbf{I} - \frac{\mathbf{B} \mathbf{B}}{\mu_0} \right]$$

Two-ion
plasma

$$\frac{\partial}{\partial t} (n_p m_p \mathbf{v}_p) + \nabla \cdot (n_p m_p \mathbf{v}_p \mathbf{v}_p + P_p) = \frac{n_p}{n_e} \left[e n_h (\mathbf{v}_p - \mathbf{v}_h) \mathbf{x} \mathbf{B} - \nabla \left(P_e + \frac{B^2}{2 \mu_0} \right) \mathbf{I} - \frac{\mathbf{B} \mathbf{B}}{\mu_0} \right]$$

gyro-radius effects

charge neutrality: $n_e = n_p + n_h$



Magnetic field equation

Faraday's law: $\frac{\partial \mathbf{B}}{\partial t} + \nabla \mathbf{x} \mathbf{E} = 0$

$$\mathbf{E} = - \frac{1}{e n_e} \nabla p_e - \mathbf{v}_e \mathbf{x} \mathbf{B}$$

single-ion plasma

$$\mathbf{v}_e = \mathbf{v}_p - \frac{1}{\mu_0 e n_e} \nabla \mathbf{x} \mathbf{B}$$

$$\frac{\partial \mathbf{B}}{\partial t} + \nabla \mathbf{x} \left[\mathbf{v}_p \mathbf{x} \mathbf{B} - \frac{\mathbf{B} \cdot \nabla \mathbf{B}}{e n_e \mu_0} \right] = 0$$

Hall term

two-ion plasma

$$\mathbf{v}_e = \frac{n_p \mathbf{v}_p + n_h \mathbf{v}_h}{n_e} - \frac{1}{\mu_0 e n_e} \nabla \mathbf{x} \mathbf{B}$$

$$\frac{\partial \mathbf{B}}{\partial t} + \nabla \mathbf{x} \left[\frac{1}{n_e} (n_p \mathbf{v}_p + n_h \mathbf{v}_h) \mathbf{x} \mathbf{B} - \frac{\mathbf{B} \cdot \nabla \mathbf{B}}{e n_e \mu_0} \right] = 0$$

charge neutrality: $n_e = n_p + n_h$

Hall term



The two-ion Hall-MHD equations



Continuity and momentum equations of protons and heavies
(p → h, h → p)

$$\frac{\partial}{\partial t} n_p + \nabla \cdot (n_p \mathbf{v}_p) = 0$$

$$\frac{\partial}{\partial t} (n_p \mathbf{v}_p) + \nabla \cdot (n_p \mathbf{v}_p \mathbf{v}_p + \mathbf{P}_p / m_p) = \frac{1}{m_p} \frac{n_p}{n_e} \left[e n_h (\mathbf{v}_p - \mathbf{v}_h) \times \mathbf{B} - \nabla \left((P_e + \frac{B^2}{2 \mu_0}) \mathbf{I} - \frac{\mathbf{B} \mathbf{B}}{\mu_0} \right) \right]$$

Faraday's law

$$\frac{\partial \mathbf{B}}{\partial t} + \nabla \times \left[\frac{1}{n_e} (n_p \mathbf{v}_p + n_h \mathbf{v}_h) \times \mathbf{B} - \frac{\mathbf{B} \cdot \nabla \mathbf{B}}{e n_e \mu_0} \right] = 0$$

Electron energy equation

$$\frac{\partial}{\partial t} P_e + \nabla \cdot (\mathbf{v}_e P_e) + (\gamma - 1) P_e \nabla \cdot \mathbf{v}_e = 0$$

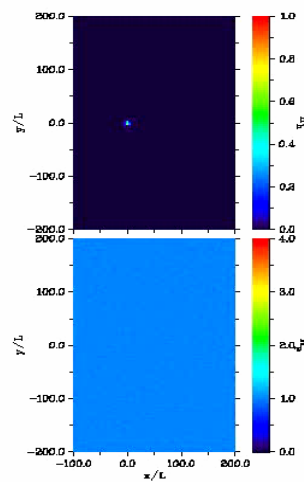
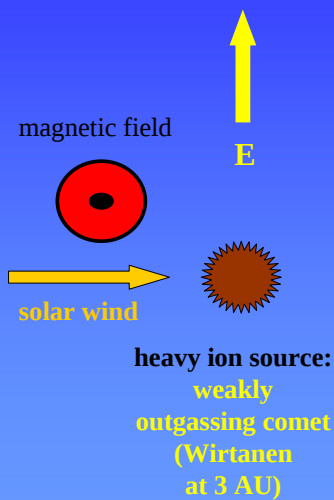
with

$$n_e = n_p + n_h,$$

$$\mathbf{v}_e = \frac{n_p \mathbf{v}_p + n_h \mathbf{v}_h}{n_e} - \frac{\nabla \times \mathbf{B}}{n_e \mu_0}$$



2D hybrid simulation of solar wind - comet interaction



Lipatov and Sauer, 1997



Comparison between two-ion fluid and hybrid code simulations



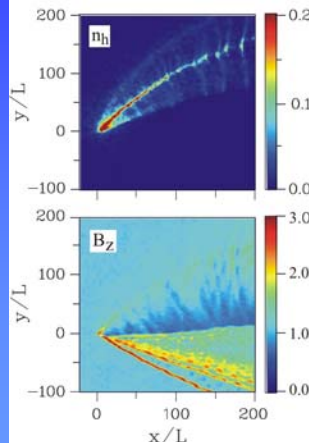
Interaction of the solar wind with a weak comet (Wirtanen at 3 AU)

magnetic field



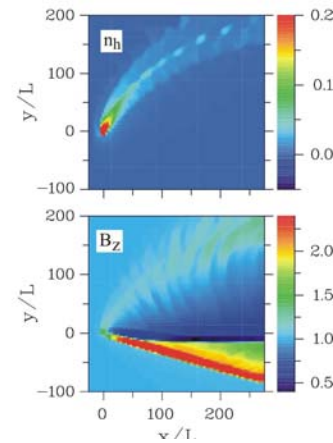
$$M_A=10, Q_h=10^{26} \text{ s}^{-1}$$

3D hybrid code simulations



Bagdonat and Motschmann, 2003

Two-ion fluid simulations



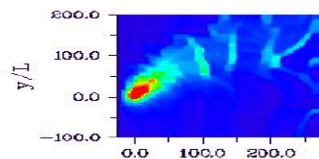
Sauer et al., 1996



Plasma structures for three mass-loading regimes

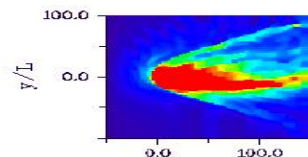
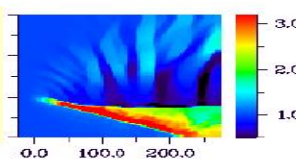


heavy-ion density

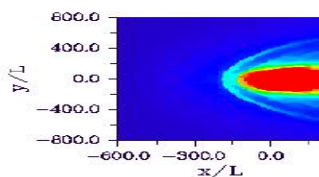
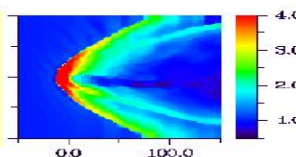


weak
comet:
 $Q < 10^{26} \text{ s}^{-1}$

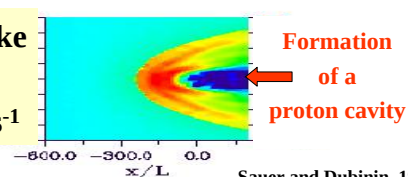
proton density



increased
p. rate:
 $Q \geq 10^{26} \text{ s}^{-1}$



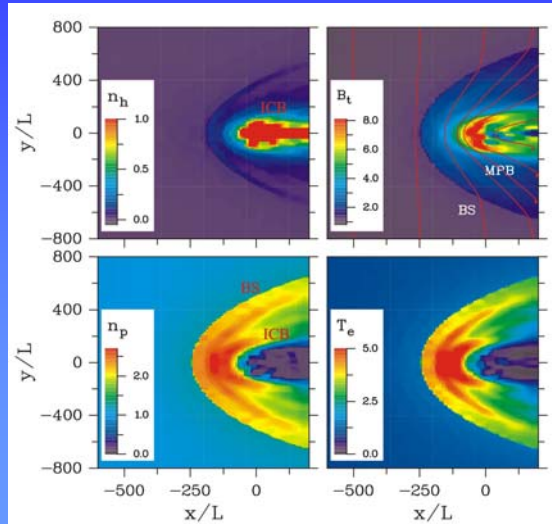
comet like
G-S:
 $Q \geq 10^{27} \text{ s}^{-1}$



Sauer and Dubinin, 1999



Two-fluid modeling of solar wind interaction with the Martian exospheric plasma



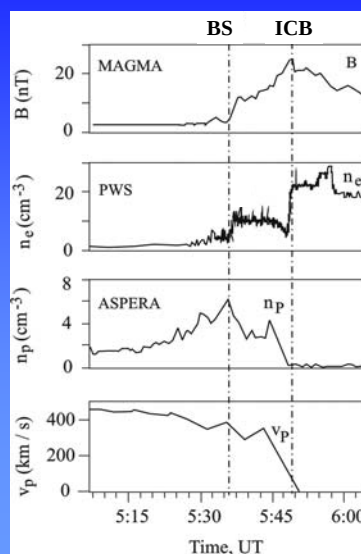
A proton cavity is formed. At the boundary separating solar wind protons from exospheric oxygen ions (ICB = Ion Composition Boundary) the magnetic field piles up (MPB)

Sauer and Dubinin, 1999

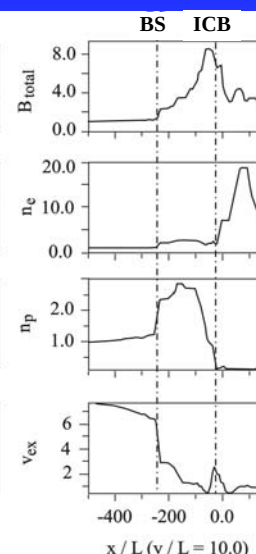


Comparison between Phobos-2 observations and two-fluid modeling (elliptical orbit)

Phobos-2 observations



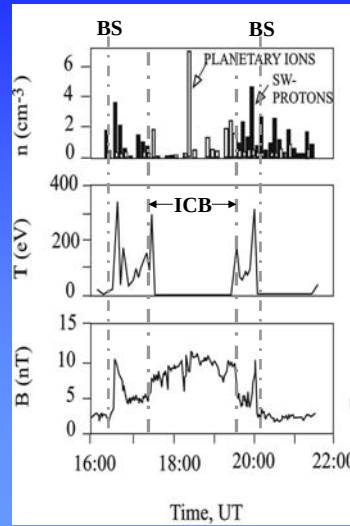
2-fluid modeling



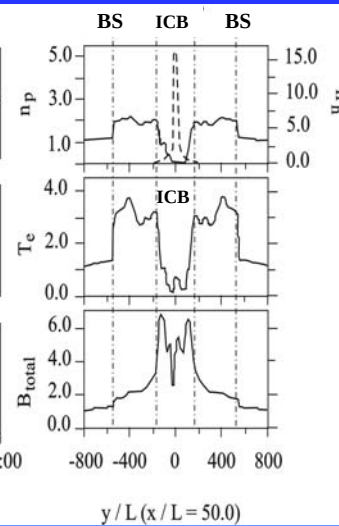


Comparison between Phobos-2 observations and two-fluid modeling (circular orbit)

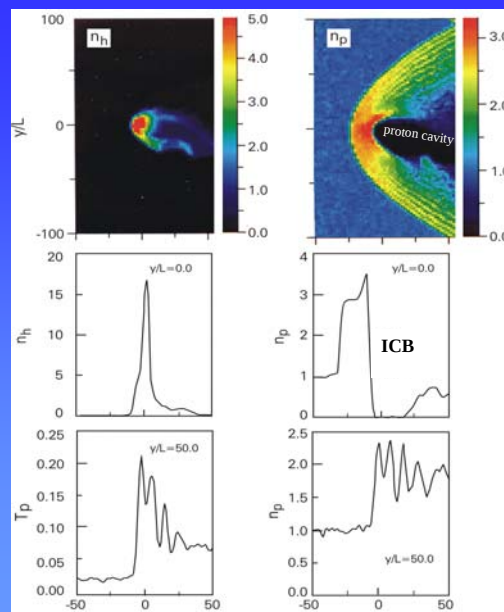
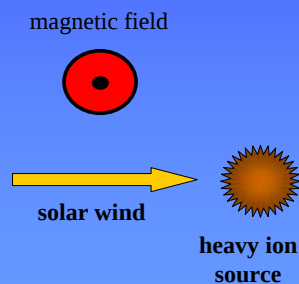
Phobos-2 observations



2-fluid modeling



Hybrid simulations: Formation of a proton cavity



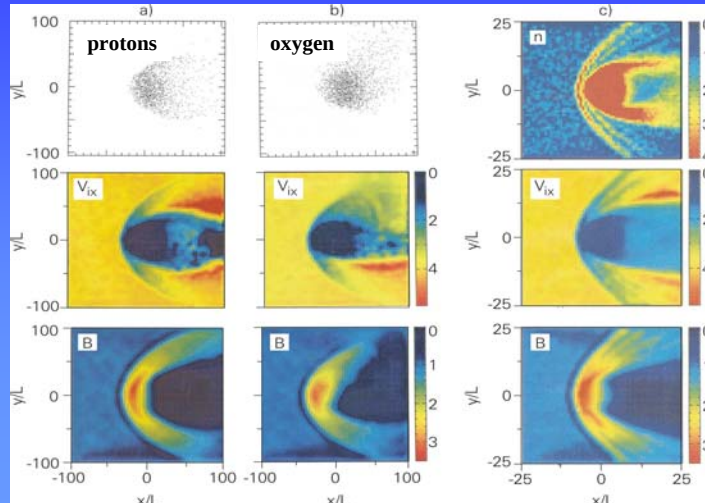
Lipatov and Sauer, 1997



3D hybrid simulations of SW interaction with unmagnetized planets



Planetary ions are distributed over a sphere, no ionospheric profiles: Shimazu, 2001



Important results:

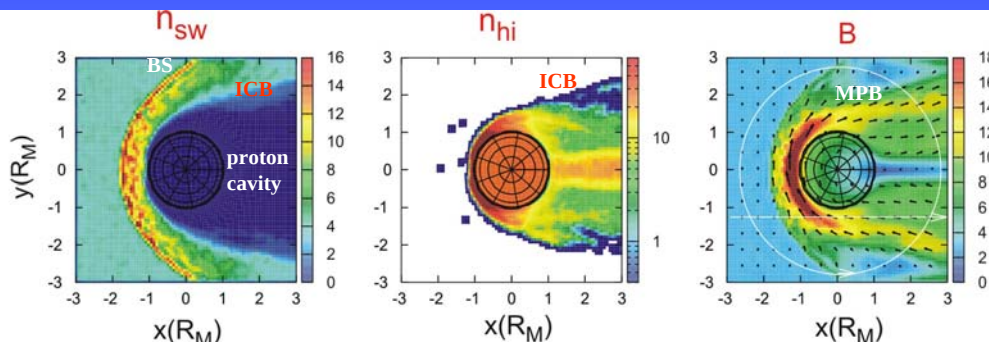
- (1) Formation of an ICB
- (2) Multiple shock-structure
- (3) Plasma acceleration at the flanks



3D hybrid simulations of solar wind - Mars interaction



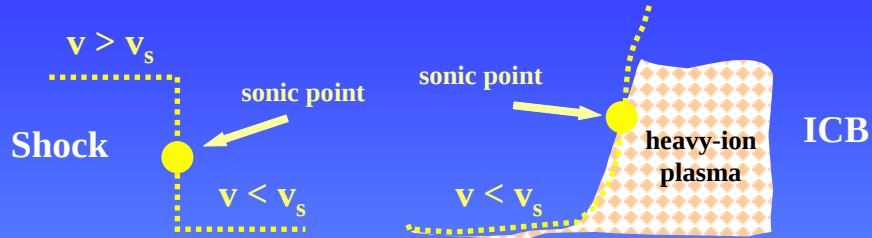
(Böswetter, Bagdonat, Motschmann - TU Braunschweig
K. Sauer - MPAe; 2004)



Main signatures of interaction are seen. Location of BS and MPB/ICB are in good agreement with the observations.



The Ion Composition Boundary (ICB) - a new type of plasma boundary



A **shock** is formed if the “**supersonic**” flow goes through the “sonic point”:
 $v = v_s$

An **ICB** is formed if the “**subsonic**” two-ion flow becomes accelerated and goes through the “generalized sonic point”:
 $v = v_s(n_p, n_h, v_h, \beta_e, \dots)$



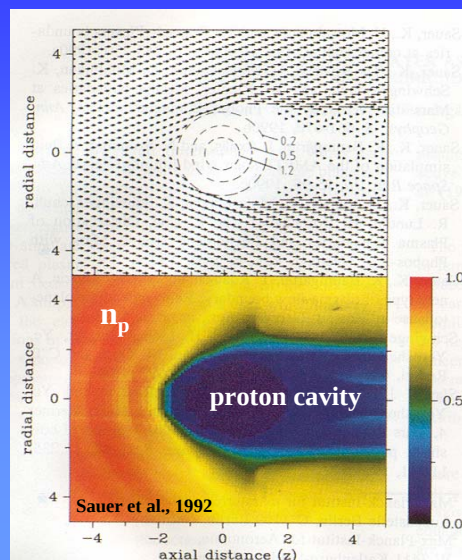
Formation of a proton cavity in a subsonic flow



heavy-ion cloud:
 $n_h \leq 1.5 n_{p0}$

→

proton flow
($M_s = 0.4$)

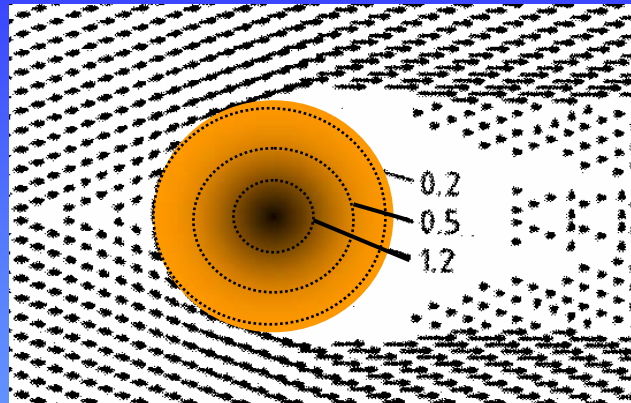




Plasma acceleration at the flanks of an impenetrable heavy-ion cloud



heavy-ion cloud
proton flow
($M_s = 0.4$)



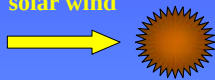
The subsonic plasma flow ($M_s = 0.4$) is accelerated and deflected by the heavy-ion cloud in regions where its density is about $0.2 n_{p0}$.



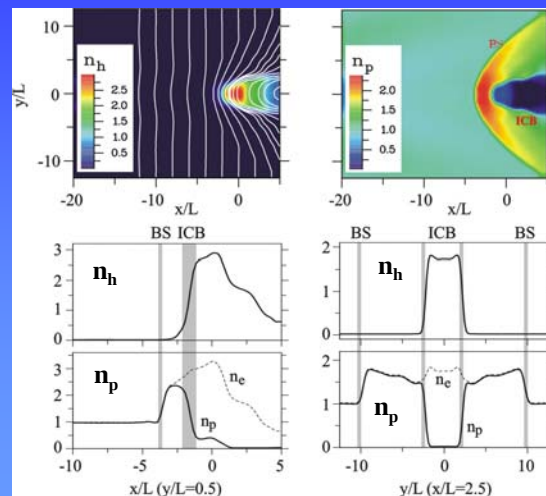
Two-fluid modeling of SW-heavy ion source interaction: $B=0$



$M_s=4$
solar wind



heavy-ion source:
 $q = q_m \exp(-r^2/L^2)$

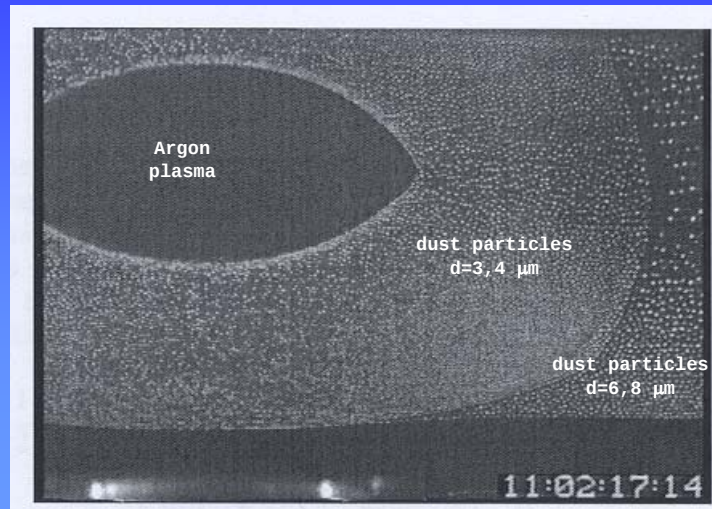


Formation of a proton cavity

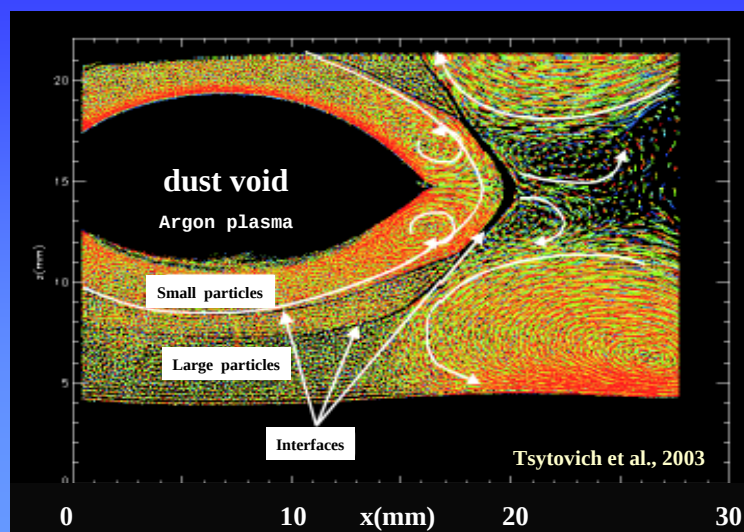


Observation of sharp boundaries in dusty plasmas under micro-gravity

(Annaratone et al., 2002)



Observation of sharp boundaries in dusty plasmas under micro-gravity





Summary and conclusion



- The multi-fluid model is able to describe essential elements of solar wind interaction with non-magnetized bodies.
- The transition from very asymmetric plasma structures at weak comets to the magnetosphere of Mars with three well developed plasma boundaries (BS, ICB/MPB, IP) has been shown.
- The Ion Composition Boundary (ICB/MPB) at comets and Mars is a new type of plasma boundary which is formed in mass-loaded plasmas. It results from the momentum coupling between the two plasma populations at the “generalized sonic points”.



Summary and conclusion



The results have implications to future space missions:

- ROSETTA**

In-situ measurements near a (weak) comet at $\sim 3\text{AU}$.

- MARS/VENUS EXPRESS**

Plasma and neutral gas measurements with ASPERA-3.

- CASSINI**

New results about solar wind -Titan interaction.

- Beppi Colombo**

Mercury with its sodium atmosphere is an interesting multi-ion object.



Summary and conclusion



- The work was done in the project
“Mars, Kometen, kleine Körper“
- ~25 publications in 2000-2003
- low costs: $\leq 2\,000$ EU per annum
—(contacts to ISSI, CNRS, JPL)